

Allocation of Logistics Sharing Cost in Refrigerated Logistics Warehouse

Jae-Min Kim¹, Gyusung Cho^{1,*}, Chang-Seong Ko²
and Young-Tae Park³

¹Department of Port Logistics System, Tongmyong University, Busan 48520, Korea

²Department of Industrial Engineering, Kyungsung University, Busan 48434, Korea

³Division of International Trade & Distribution, Dongeui University, Busan 47340, Korea

*Corresponding author: gscho@tu.ac.kr



Introduction & Research Questions

1) S. Korea is having difficulty in sending a wanted warehouse due to the increase in storage capacity and the failure to fill the entire transportation volume in the operation according to the route. Therefore, the importance of public goods is emphasized.

2) This study applied a shared logistics system to the wanted delivery system of cold storage companies.

3) In this study, the sharing profit obtained by applying the logistics sharing system to the wanted delivery system of low-temperature warehouse companies is calculated as Min-max and Min-sum, and the sharing profit is efficiently distributed to companies by Shapley value.

Mathematical Formulas

$$\begin{aligned}
 \text{Min } Z_m &= \sum_{h \in H_1} \sum_{r \in R} C_{r,h}^{\square} x_{r,h}^{\square} + \sum_{j \in W} \sum_{h \in H_1} \sum_{r \in R} N_{r,h}^{\square} x_{r,h}^{\square} + \sum_{j \in W} \sum_{h \in H_1} \sum_{r \in R} E_{r,h}^{\square} x_{r,h}^{\square} \\
 \text{Min } Z_1 &= \sum_{h \in H_1} \sum_{r \in R} C_{r,h}^{\square} x_{r,h}^{\square} + \sum_{j \in W} \sum_{h \in H_1} \sum_{r \in R} N_{r,h}^{\square} x_{r,h}^{\square} + \sum_{j \in W} \sum_{h \in H_1} \sum_{r \in R} E_{r,h}^{\square} x_{r,h}^{\square} \\
 \text{s.t.} & \\
 \sum_{h \in H_1} \frac{1}{M_{h,i}} x_{r,h}^{\square} &\leq 1, \quad i \in W, h \in H_1 \\
 \sum_{h \in H_1} \sum_{r \in R} \sum_{j \in W} y_{r,h}^{\square} &\leq \sum_{j \in W} \sum_{h \in H_1} \sum_{r \in R} x_{r,h}^{\square}, \quad i \in W, r \in R \\
 \sum_{h \in H_1} \sum_{r \in R} x_{r,h}^{\square} &\leq \sum_{j \in W} \sum_{h \in H_1} \sum_{r \in R} x_{r,h}^{\square}, \quad i \in W, h \in H_1, r \in R \\
 x_{r,h}^{\square} &\leq x_{r,h}^{\square}, \quad i \in W, i = j, h \in H_1, r \in R \\
 x_{r,h}^{\square} &\leq M_{h,i}, \quad i \in W, i = j, h \in H_1, r \in R \\
 x_{r,h}^{\square} &\geq 0, x_{r,h}^{\square} \text{ integer}, \quad i \in W, h \in H_1, r \in R \\
 y_{r,h}^{\square} &\geq 0, y_{r,h}^{\square} \text{ integer}, \quad i \in W, i = j, h \in H_1, r \in R \\
 x_{r,h}^{\square} &\geq 0, x_{r,h}^{\square} \text{ integer}, \quad i \in W, i \neq j, h \in H_1, r \in R
 \end{aligned}$$

Methodologies

Max-min **Maximize a**
s.t. $Z_1 \geq a$
 $Z_2 \geq a$
...
 $Z_m \geq a$
where $a = \text{Min}(Z_1, Z_2, \dots, Z_m)$

Max-sum **Maximize** $= Z_1 + Z_2 + Z_3 + \dots + Z_m$

Shapley Value $\phi_i(c) = \sum_{S \subseteq N, i \in S} \frac{(|S| - 1)! (|N| - |S|)!}{|N|!} \left[s(S) - c\left(\frac{S}{i}\right) \right]$

Figures

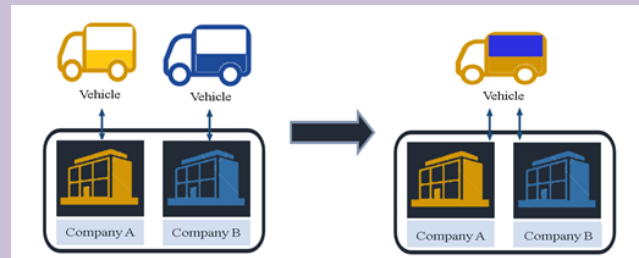


Figure 1. Operation of Refrigerated Logistics Warehouse Sharing Logistics System¹⁾

Tables

Table 1. Operating costs of vehicles by company

Company	Kind of Vehicle (Unit: Ton)	Number of vehicles	Number of transports (Transportation Cost, Unit: \$10)			Fixed cost (Unit: \$10)
			1	2	3	
A	5	3	22(276)	22(276)	23(312)	3,772
	2.5	5	43(156)	23(160)	43(204)	2,980
	1	2	10(126)	6(132)	7(140)	2,430
B	2.5	3	22(150)	22(166)	23(210)	3,040
	1	5	23(127)	43(133)	43(174)	2,499
C	2.5	4	43(154)	22(167)	24(206)	3,010
	1	4	22(126)	43(132)	24(172)	2,473

Table 2. Shared transportation cost, loading and unloading costs by company

Company	Kind of Vehicle (Unit: Ton)	Shared transportation cost (Unit: \$10 / Ton)			Vehicle on and off cost (Unit: \$10 / Ton)		
		1	2	3	1	2	3
A	5	0.0	0.5	0.7	10	11	12
	2.5	0.9	0.6	0.0	9	10	10
	1	1.0	0.7	0.9	10	11	10
B	2.5	1.3	0.3	0.7	10	10	9
	1	1.5	0.4	0.0	10	9	11
C	2.5	1.1	0.6	0.6	11	9	9
	1	1.2	0.7	0.9	10	11	12

Table 3. No Collaboration and Min-sum, Min-max cost

Station	Company	Cost			Total (Unit: 100)
		A	B	C	
No Collaboration	A, B, C	47,310	31,310	27,610	106,230
	A, B	32,401	32,401	32,401	97,203
Min-sum	A, B	32,401	36,599	0	72,510
	A, C	34,002	0	30,002	64,004
Min-max	A, B, C	0	32,002	27,610	59,612
	A, B, C	30,709	37,709	26,709	95,127

Table 4. Marginal Contributions by Size-Company Percentage

Station	Company	Subgroup output	Marginal contribution			Total (Unit: 100)
			A	B	C	
No Collaboration	A, B, C	0	0	0	0	0
	A, B	0.002	0.002	0.002	0	0
Collaboration	A, C	7.294	7.294	0	7.294	7.294
	B, C	6.294	0	6.294	6.294	6.294
Company	A, B, C	100	7.294	7.294	6.294	6.294
	A, B, C	11,902	6.894	5.894	4.894	4.894
Collaboration	A, B, C	36,375	12,075	12,075	12,075	12,075
	Shapley Value	4.702	4.202	3.802	3.802	3.802

Conclusion

This study is a study in which two or more cold storage companies form partnerships and determine the cost, transport status, and number of times of transport of vehicles by route to minimize costs when applying a shared logistics system.

The mathematical model is a multi-purpose decision model consisting of multiple purpose functions, each of which has participated in the partnership.

Although conservative approaches by the Min-max criterion are often used a lot, this study also applied the Min-sum criterion and compared it. By applying Min-sum and Min-max, the total cost of partnership was reduced compared to when cold storage companies operate on their own without partnership.

The operation through the shared logistics system presented in this study will enhance the collaboration and competitiveness of the companies participating in the partnership, and it is believed that it can be used as a basis for research for business cooperation.